

# A NEURAL NETWORK BASED APPROACH TO MODELLING THE INTERNAL STRUCTURE OF TRANSITING ROCKY EXOPLANETS

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## Introduction

### Motivation

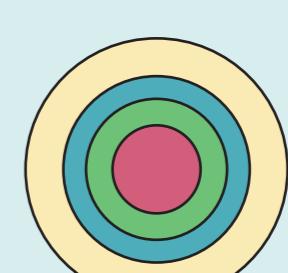
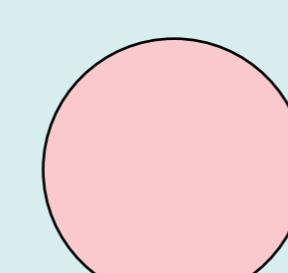
Analysis of the transiting rocky planets studied by ESA's **CHaracterising ExOPlanet Satellite**



### Objective

Observations:  

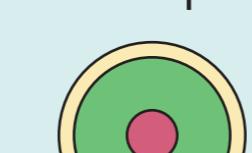
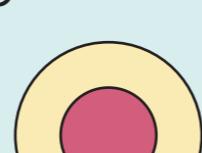
- Mass
- Radius
- Stellar Properties



Internal Structure Parameters

Inherent degeneracy: Multiple structures can lead to the same mean density

Example:



Not possible to fully constrain internal structure parameters from observations

## The Model

### Internal Structure Model

Developed by Haldemann et al. (in prep.),  
based on Dorn et al. (2015 and 2017, in Bern)

#### Input parameters

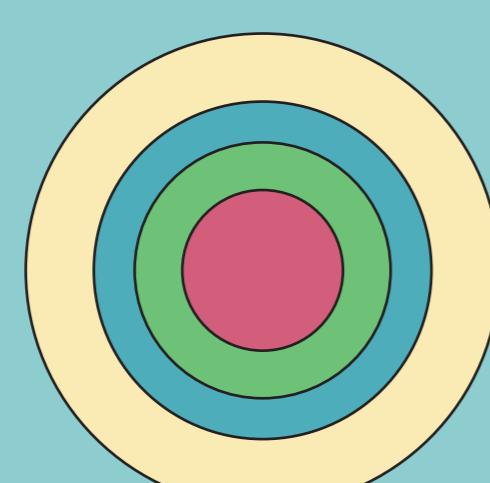
mass, luminosity, equilibrium temperature,  
layer mass fractions, core and mantle compositions

Solving planetary structure equations  
(Kippenhahn et al. 2012)

#### Output parameters

transit radius, layer thicknesses

- Iron Core
- Silicate Mantle
- Water
- H/He Atmosphere



### Bayesian Inference Model

#### Input parameters

**Stellar observables**  
mass, radius, equilibrium temperature, age,  
composition ([Si/H], [Mg/H], [Fe/H])

**Planetary observables**  
mass, transit depth, period

#### Full Grid Approach

1. Sample from the stellar parameter space
2. For each planet in the system:
  - a. Sample the internal structure parameters from the chosen priors
  - b. Use the internal structure model to calculate the radius and therefore the likelihood
3. Accept the system based on the likelihood of its planets

**Additional assumption:**  
Planetary composition  
matches stellar  
composition exactly  
(e.g. Thiabaud et al. 2015)

#### Advantage:

Computation time only increases **linearly** with an added additional planet because we take advantage of the **high correlation** between planets in multiplanetary systems

#### Output parameters

Posterior of the internal structure parameters

## Deep Neural Networks

### Computational considerations when running the Bayesian inference model:

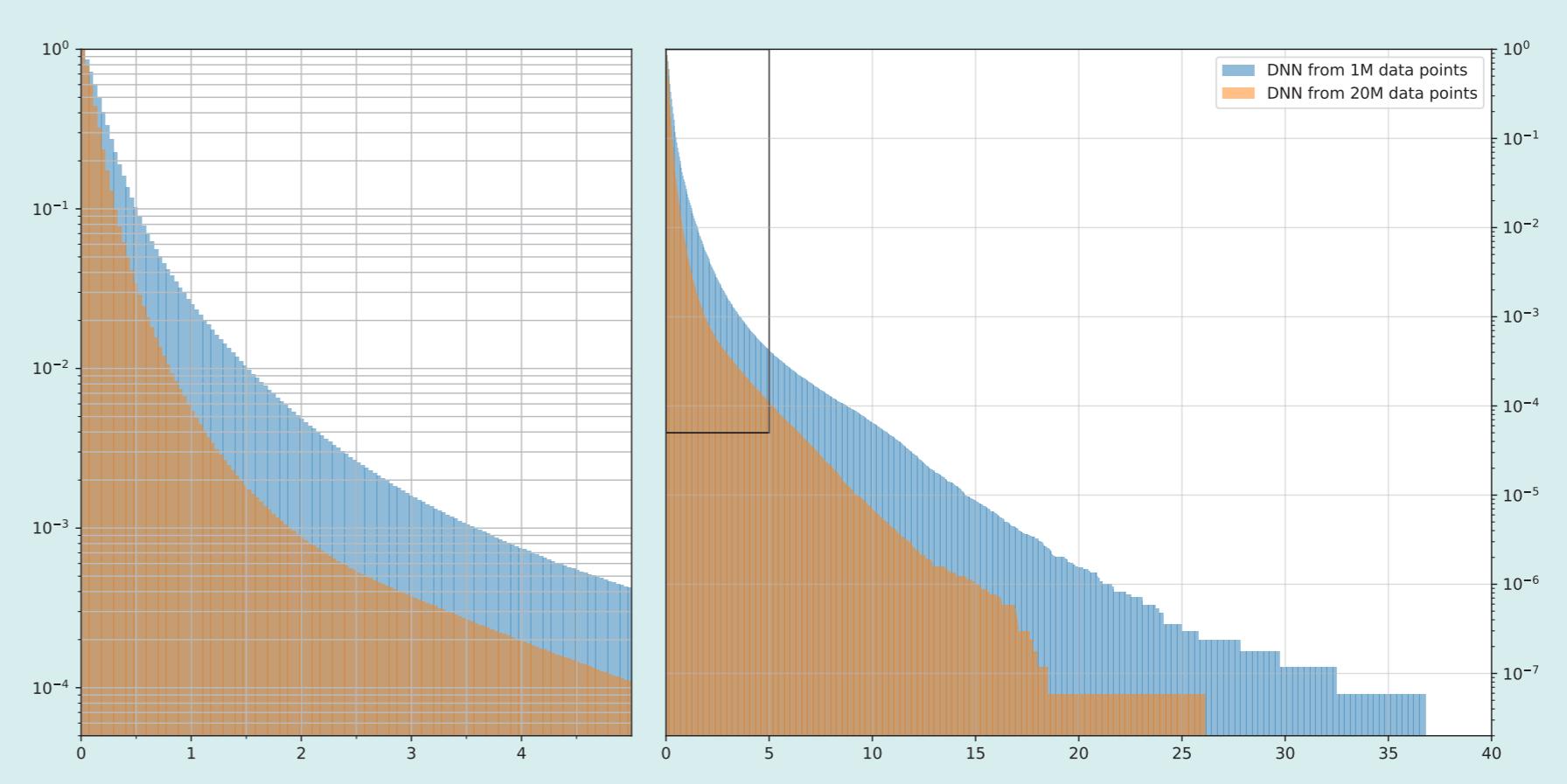
- Sampled stars: 12'000
- Sampled planetary systems per star: 8'000
- 96 million sampled systems total

The internal structure model is too computationally expensive for this to be feasible.

Solution: Train a **Deep Neural Network!**

### Training a DNN on the internal structure model

Evaluation of the trained DNN on test data:



Training data:  
20M data points

Validation data:  
2M data points

Test data:  
15M data points

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### References:

- Dorn, C., Khan, A., Heng, K., et al. 2015, A&A, 577, A83
- Dorn, C., Venturini, J., Khan, A., et al. 2017b, A&A, 597, A37
- Kippenhahn, R., Weigert, A. & Weiss, A. 2012, Stellar Structure and Evolution, 2nd edn., Astronomy and Astrophysics Library (Berlin Heidelberg: SpringerVerlag)
- Thiabaud, A., Marboeuf, U., Alibert, Y., Leya, I., & Mezger, K. 2015, A&A, 580, A30