Four-fluid MHD simulations of the plasma and neutral gas environment of comet 67P/Churyumov-Gerasimenko near perihelion

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Abstract

The neutral and plasma environment is critical in understanding the interaction of the solar wind and comet 67P/Churyumov-Gerasimenko (CG), the target of the European Space Agency's Rosetta mission. To serve this need and support the Rosetta mission, we have developed a 3-D four-fluid model, which is based on BATS-R-US (Block-Adaptive Tree Solarwind Roe-type Upwind Scheme) within SWMF (Space Weather Modeling Framework) that solves the governing multifluid MHD equations and the Euler equations for the neutral gas fluid. These equations describe the behavior and interactions of the cometary heavy ions, the solar wind protons, the electrons, and the neutrals. This model incorporates different mass loading processes, including photoionization and electron impact ionization, charge exchange, dissociative ion-electron recombination, and collisional interactions between different fluids. We simulated the plasma and neutral gas environment near perihelion in three different cases: an idealized comet with a spherical body and uniform neutral gas outflow, an idealized comet with a spherical body and illumination-driven neutral gas outflow, and comet CG with a realistic shape model and illumination-driven neutral gas outflow. We compared the results of the three cases and showed that the simulations with illumination-driven neutral gas outflow have magnetic reconnection, a magnetic pileup region and nucleus directed plasma flow inside the nightside reconnection region, which have not been reported in the literature.

1. Introduction

The goal of the Rosetta mission [Glassmeier et al., 2007] is to study the physical and chemical properties of a comet. The spacecraft has rendezvoused with comet 67P/Churyumov-Gerasimenko (CG) in August 2014 and will observe the comet until 2016. As the comet approaches the Sun, the interaction region of the comet with the solar wind undergoes significant changes. Hansen et al. [2007] simulated the plasma environment of comet CG for different phases of the Rosetta mission with a single fluid magnetohydrodynamic (MHD) model and a hybrid particle model. They showed that the single fluid MHD model has certain limitations because the single fluid equations treat the solar wind protons and the cometary heavy ions as a single combined fluid. Without separating the velocities between different ion fluids, the single fluid MHD model cannot reproduce effects arising from the gyration of the cometary ions and the deflection of the solar wind protons. Rubin et al. [2014a, 2014b] developed a multifluid MHD model, which treats the solar wind protons and the cometary ions as separate fluids. They have shown that with multifluid equations, the model is able to produce effects arising from the gyration of the cometary pickup ions, which is in good agreement with the 3-D Hybrid AIKEF model [Koenders et al., 2015]. On the other hand, Rubin et al. [2014a, 2014b] applied a spherically symmetric neutral gas background from the analytical Haser model [Hasi, 1957] in their simulations, which is a crude approximation. Recent neutral gas simulations by Bieler et al. [2015] have shown that the shape of the nucleus and the solar illumination have a strong impact on the neutral gas outflow, which results in a nonspherical and time-dependent neutral gas distribution. As a consequence, the cometary heavy ions are expected to have a nonspherical distribution because they are produced by the ionization of the neutral gas. Goldstein et al. [2015] and Edberg et al. [2015] observed that the plasma density varies with the comet nucleus rotation. It is, therefore, critical to apply the realistic neutral gas distribution in the multifluid simulations to understand its impact on the plasma environment of comet CG, especially in the inner coma region where the neutral gas distribution is significantly different from the spherical symmetry assumed in the Haser model.
It is nearly impossible to propose an analytical solution for the neutral gas due to the complex nucleus shape and illumination coupled with the comet's rotation. So the neutral gas has to be one of the simulated fluids in the model if we want to study the plasma environment around irregularly shaped comet CG. In this paper, we present a model which treats the cometary neutral gas, the cometary heavy ions, the solar wind protons, and the neutralizing electrons as separate fluids. An inner boundary with an arbitrary shape is also implemented to incorporate the realistic nucleus in the simulation. In this paper, we mainly focus on the inner coma region, where the distribution of the plasma is significantly affected by the complex outgassing pattern from the nucleus.

2. Model Equations

In this section, we describe the multifluid equations for the cometary neutral gas, the cometary heavy ions, the solar wind protons, and the electrons. Najib et al. [2011] and Dong et al. [2014] have simulated the solar wind interactions with Mars with multifluid equations, while Rubin et al. [2014a, 2014b] have studied the plasma environment at two different comets. Benna and Mahaffy [2007] developed a 3-D multifluid model to study a Halley-class coma using the solar wind conditions of the Giotto flyby of Halley in 1986. Rubin et al. [2015a] have also applied a multifluid model to simulate the plasma interaction with Jupiter's moon, Europa. We use \( \rho, p, \mathbf{u}, \gamma \), and \( I \) to denote the mass density, pressure, velocity vector, the specific heat ratio, and the identity matrix, respectively. The subscripts \( n, s, \) and \( e \) correspond to the cometary neutral gas, the ions (either the cometary heavy ions or the solar wind protons), and the electrons, respectively.

The first set of equations is the hydrodynamic equations for the cometary neutral gas

\[
\begin{align*}
\frac{\partial \rho_n}{\partial t} + \nabla \cdot (\rho_n \mathbf{u}_n) &= \frac{\delta \rho_n}{\delta t} \\
\frac{\partial \rho_n \mathbf{u}_n}{\partial t} + \nabla \cdot (\rho_n \mathbf{u}_n \mathbf{u}_n + p_n I) &= \frac{\partial \mathbf{F}_n}{\partial t} \\
\frac{\partial p_n}{\partial t} + \nabla \cdot (p_n \mathbf{u}_n) + (\gamma_n - 1) p_n (\nabla \cdot \mathbf{u}_n) &= \frac{\partial \mathbf{H}_n}{\partial t}
\end{align*}
\]

consisting of the continuity equation, the momentum equation, and the pressure equation. The right-hand sides describe the source terms, including the loss due to photoionization and the addition due to recombination. However, in this study, we focus on the near nucleus environment, i.e., much smaller than the ionization scale length, which is about \( 1.67 \times 10^6 \) km if we consider the photoionization frequency as \( 6 \times 10^{-7} \) s\(^{-1} \) and the cometary neutral gas velocity as 1 km/s. The source and the loss terms are very small near the comet, so we set the right-hand sides to zero. We will consider these terms in future work when we study the large-scale structures extending to large cometary distances.

The equations for the cometary heavy ions, the solar wind protons, and the electrons are the multi-ion MHD equations:

\[
\begin{align*}
\frac{\partial \rho_s}{\partial t} + \nabla \cdot (\rho_s \mathbf{u}_s) &= \frac{\delta \rho_s}{\delta t} \\
\frac{\partial \rho_s \mathbf{u}_s}{\partial t} + \nabla \cdot (\rho_s \mathbf{u}_s \mathbf{u}_s + p_s I) - Z_i e \frac{\mathbf{B}_s}{m_i} \mathbf{u}_s \times \mathbf{B} &= \frac{\partial \mathbf{F}_s}{\partial t} \\
\frac{\partial p_s}{\partial t} + \nabla \cdot (p_s \mathbf{u}_s) + (\gamma_s - 1) p_s (\nabla \cdot \mathbf{u}_s) &= \frac{\partial \mathbf{H}_s}{\partial t}
\end{align*}
\]

The first three equations are the continuity, the momentum, and the pressure equations for the ions (either the cometary heavy ions or solar wind protons). \( Z \) and \( e \) denote the ion charge state and the unit charge, respectively. \( \mathbf{E} \) is the electric field vector, while \( \mathbf{B} \) is the magnetic field vector. \( \mathbf{u}_s \) is the charge-averaged ion velocity, which can be expressed as \( \mathbf{u}_s = \sum_{\text{ions}} Z_i n_i \mathbf{u}_i / n_e \) (\( n_e \) is the electron number density). We assume charge neutrality, so the electron number density can be obtained from \( n_e = \sum_{\text{ions}} Z_i n_i \). The fourth equation in equation (2) is the electron pressure equation.

The source terms for plasma fluids are incorporated into the right-hand sides of equation (2). \( \frac{\delta \rho}{\delta t} \) and \( \frac{\delta \mathbf{u}}{\delta t} \) are the source terms for the continuity equation, which include the photoionization from the neutral gas, the charge...
exchange between the neutral gas and the ion species $s$ and the dissociative ion-electron recombination. The source terms for the momentum equation, which include the newly ionized ions implanted at the neutral bulk velocity, the charge exchange between the neutral gas and the ions, the elastic collisions between the ions and other particles (the neutrals, other ions, and the electrons), and the dissociative ion-electron recombination. The ion pressure source terms $\frac{\partial p_i}{\partial t}$ include photoionization, electron impact ionization, charge exchange, recombination, and elastic collisions with other particles. The electron pressure source term $\frac{\partial p_e}{\partial t}$ contains photoionization, electron impact ionization, charge exchange, recombination, elastic collisions with other particles, and inelastic collisions with neutral water molecules. Detailed discussion of the source terms can be found in Rubin et al. (2014a, 2014b). We briefly mention some of the coefficients here. The photoionization frequency depends on the heliocentric distance of the comet and will be provided in section 3. The ion-neutral charge exchange rate for both cometary heavy ions and solar wind protons is $1.7 \times 10^{-15} \text{ (m}^3\text{s}^{-1})$, which is obtained from Gombosi et al. (1996). The elastic collision rates are listed in Table 1. The dissociative ion-electron recombination rates are taken from Schunk and Nagy (2009). The value for the cometary heavy ion is given by

$$\alpha = \begin{cases} 
1.57 \times 10^{-11} (T_e)^{0.569} & \text{for } T_e < 800 \text{ K} \\
4.73 \times 10^{-11} (T_e)^{-0.74} & \text{for } 800 \text{ K} < T_e < 4000 \text{ K} \\
1.03 \times 10^{-9} (T_e)^{-1.11} & \text{for } T_e > 4000 \text{ K} 
\end{cases} \tag{3}
$$

in the units of (m$^3$s$^{-1}$) while it is $4.8 \times 10^{-18} \left( \frac{2200}{T_e} \right)^{0.7}$ (m$^3$s$^{-1}$) for the solar wind protons. The excessive energy added to the electron from the photoionization is 12.0 eV, which is taken from Huebner et al. (1992), while the energy lost due to electron impact ionization is 12.6 eV, which is obtained from Haynes (2013). The inelastic collisions between electrons and neutral water molecules are an efficient way to cool the electrons in the inner coma region and the cooling rate is provided by Gombosi (2015) in the unit of (eV cm$^3$s$^{-1}$):

$$L_e = 4 \times 10^{-9} \left[ 1 - \exp \left( -\frac{k(T_e - T_a)}{0.033 \text{ eV}} \right) \right] + A \left[ 0.415 - \exp \left( -\frac{kT_e - 0.10 \text{ eV}}{0.10 \text{ eV}} \right) \right], \tag{4}
$$

where $A = 0$ for $kT_e \leq 0.188$ eV and $A = 6.5 \times 10^{-9}$ for $kT_e > 0.188$ eV.

### Table 1. The Elastic Collision Rates

<table>
<thead>
<tr>
<th>Elastic Collision Rates</th>
<th>Value (m$^3$s$^{-1}$)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Ion-ion</td>
<td>$1.27 \times 10^{-6} \frac{Z_s Z_t}{m_s m_t} n_s n_t$</td>
</tr>
<tr>
<td>Ion-neutral</td>
<td>$10^{-6} C_{on} n_n$</td>
</tr>
<tr>
<td>Electron-ion</td>
<td>$54.5 \times 10^{-6} \frac{n_s Z_t^2}{m_s} \frac{1}{T_t}$</td>
</tr>
<tr>
<td>Ion-electron</td>
<td>$1.27 \times 10^{-9} \sqrt{\frac{m_s}{m_t}} \frac{n_s Z_t^2}{T_t}$</td>
</tr>
<tr>
<td>Electron-water</td>
<td>$2.745 \times 10^{-11} n_s T_e^{-0.62}$</td>
</tr>
</tbody>
</table>

*The elastic collision rates are taken from Schunk and Nagy (2009) except the electron-water elastic collision rate is taken from Itikawa (1971). $Z_s$ and $Z_t$ are the charge states of the ion species $s$ and $t$, $m_s$ and $m_t$ are the atomic masses of species $s$ and $t$ (amu), $m_s^t = m_t^s = m_n^s + m_t^s$, $m_s$ is the atomic mass of the species $s$ (amu) is the reduced mass in (amu), $n_s$ and $n_t$ are the number densities of the species $t$ and $s$ in (m$^{-3}$), $n_n$ is the neutral gas number density in (m$^{-3}$), $T_s$ and $T_t$ are the temperatures for the ion species $s$ and $t$ in (K). $C_{on}$ are numerical coefficients obtained from Schunk and Nagy (2009). Both the H$_2$O$^+$-electron and H$^+$-electron recombination rates are taken from Schunk and Nagy (2009).
The electric field vector can be derived from the electron momentum equation neglecting the inertial terms:

\[ \mathbf{E} = -u_x \times \mathbf{B} - \frac{1}{n_e} \nabla p_e. \]  

(5)

where \( u_x = u_+ + u_H \) is the electron velocity with the Hall velocity \( u_H = -\frac{1}{n_e} j \), and \( j = (1/\mu_0) \nabla \times \mathbf{B} \) is the current density.

If we substitute the electric field into the ion momentum equation, we then get the modified ion momentum equation:

\[ \frac{\partial \rho_i \mathbf{u}_i}{\partial t} + \nabla \cdot (\rho_i \mathbf{u}_i \mathbf{u}_i + p_i I) - Z_s n_s (\mathbf{u}_i - \mathbf{u}_+) \times \mathbf{B} - \frac{Z_s n_s}{n_e} (j \times \mathbf{B} - \nabla p_e) + Z_s n_i = \frac{\delta \rho_i \mathbf{u}_i}{\delta t}. \]  

(6)

It is important to point out that the term \( Z_s n_i (\mathbf{u}_i - \mathbf{u}_+) \) provides the force that makes different species gyrate around the charge-average ion velocity \( \mathbf{u}_+ \), which can explain the gyration of the cometary pickup ions and the deflection of the solar wind protons. We will discuss this in more detail in the following section.

Finally, the magnetic field is obtained from Faraday's law. In our comet simulations, we neglect the Hall velocity and the electron pressure gradient term in the induction equation, so it becomes

\[ \frac{\partial \mathbf{B}}{\partial t} = \nabla \times (\mathbf{u}_+ \times \mathbf{B}). \]  

(7)

The Hall velocity term, which allows the ions and electrons to move at different velocities, is important when the current is significant, for example, the magnetopause [Mozer et al., 2002] and the tail region [Ma and Bhattacharjee, 1998]. In the present study, we ignore the Hall velocity term. A future study will include the Hall term to see the Hall effect in comet simulations.

3. Simulation Setup

The BATS-R-US (Block-Adaptive Tree Solarwind Roe-type Upwind Scheme) code [Powell et al., 1999; Tóth et al., 2012] can solve the multifluid equations described in the previous section on a 3-D block adaptive grid that can resolve different length scales. Because the boundary conditions for the cometary ions and the solar wind are not easy to define near the comet, we need to simulate a large domain of about one million kilometers in all directions, such that the upstream boundary condition is the undisturbed solar wind. On the other hand, the nucleus of comet CG is about 2 km in equivalent radius, so the smallest cell in the simulation has to be small enough to capture the complex shape of the nucleus. The computational domain in this study extends from \(-10^6\) to \(+10^6\) km in the \(x\) direction, and from \(-0.5 \times 10^6\) to \(0.5 \times 10^6\) km in both \(y\) and \(z\) directions. The smallest cell is about 0.12 km near the comet, while the largest cell is about 31,250 km far away from the nucleus, with 18 levels of refinements increasing the resolution by a factor of two at every level. There are about 9000 blocks with 4.56 million cells. The Sun is at the \(+x\) direction and the solar wind moves along the \(-x\) direction. The comet nucleus is properly rotated so that the Sun illuminates it at a realistic angle. The interplanetary field points in the \(y\) direction.

The cometary neutral gas is taken to be water as \( \text{H}_2\text{O}\) is the major neutral gas observed by ROSINA onboard Rosetta, even though CO\(_2\) could be more abundant for some time periods [Hässig et al., 2015]. The cometary heavy ions then are \( \text{H}_2\text{O}^+\), which are produced by the photoionization and charge exchange of \( \text{H}_2\text{O} \) molecules. The specific heat ratio can be expressed by \( \gamma = \frac{5}{3} f \), where \( f \) is the degrees of freedom of a gas molecule. \( \text{H}_2\text{O} \) and \( \text{H}_2\text{O}^+ \) possess three translational and three rotational degrees of freedom, so the specific heat ratio is \( \frac{5}{3} \) for them. The solar wind protons and electrons contain three translational degrees of freedom, so their specific heat ratio is \( \frac{5}{3} \). At this stage we neglect ion-neutral reactions, in particular the formation of \( \text{H}_3\text{O}^+ \) which was the dominant ion in the near nucleus coma of comet 1P/Halley. Also for CG, \( \text{H}_2\text{O}^+ \) is at times dominating [Fuselier et al., 2015] and we will investigate this in our future work. At large distance, the water molecules are dissociated into H and O, then the composition of the cometary ions is more complex. Shou et al. [2015] applied a multispecies MHD model with an imposed neutral gas background that accounts for the separated \( \text{H}_2\text{O}, \text{OH}, \text{O}, \text{H}, \text{CO}, \text{and} \text{CO}_2 \) contributions, and they showed that the details of the ion composition (\( \text{H}_2\text{O}^+, \text{H}_3\text{O}^+, \text{OH}^+, \text{and} \text{O}^+ \)) are affected outside 50,000 km from the nucleus. In this work, we neglect this process.
Table 2. The Parameters for the Flux and Temperature Approximation

<table>
<thead>
<tr>
<th>Case</th>
<th>( F_{\text{min}} ) (m(^{-2}) s(^{-1}))</th>
<th>( F_{\text{max}} ) (m(^{-2}) s(^{-1}))</th>
<th>( T_{\text{min}} ) (K)</th>
<th>( T_{\text{max}} ) (K)</th>
<th>( \Delta T ) (K)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Case 1</td>
<td>1.56 ( \cdot 10^{20} )</td>
<td>1.56 ( \cdot 10^{20} )</td>
<td>170.7</td>
<td>170.7</td>
<td>0</td>
</tr>
<tr>
<td>Case 2</td>
<td>9.02 ( \cdot 10^{18} )</td>
<td>6.60 ( \cdot 10^{20} )</td>
<td>140.0</td>
<td>195.97</td>
<td>2.47</td>
</tr>
<tr>
<td>Case 3</td>
<td>1.17 ( \cdot 10^{19} )</td>
<td>8.61 ( \cdot 10^{20} )</td>
<td>140.0</td>
<td>195.97</td>
<td>2.47</td>
</tr>
</tbody>
</table>

The cometary neutral gas source is driven by the solar illumination. The boundary conditions for the neutral gas fluid are described in detail in Bieler et al. [2015]. The inner boundary condition is applied at the cell faces (we define this as the comet surface in the simulation, which separates the grid cells inside and outside of the comet) such that the neutral density, the velocity, and the temperature match the mass and energy flux of a half-Maxwellian particle distribution. The particle flux and temperature are approximated by 

\[
F = F_{\text{min}} + (F_{\text{max}} - F_{\text{min}}) \cos \theta \quad \text{and} \quad T = \max\{T_{\text{min}}, T_{\text{max}} + \Delta T (1 - 1 / \cos \theta)\},
\]

where \( F_{\text{min}}, F_{\text{max}}, T_{\text{min}}, T_{\text{max}}, \Delta T, \theta \) are the minimum flux, the maximum flux, the minimum temperature, the maximum temperature, a fitting parameter, and the solar zenith angle, respectively. At the outer boundary, the neutral gas can freely leave the simulation domain.

The boundary conditions for the plasma fluids are not trivial. The inner boundary conditions are specified at the comet surface for each fluid. If the plasma flow (either the cometary heavy ions or the solar wind protons) is moving into the body then it is set to be floating (or zero gradient), which means the comet can absorb the ions. When the flow is leaving out of the surface then the velocity for the particular fluid is set to zero, while the mass density and pressure are set to a low value so that the comet surface is not a significant source for ions. The outer boundary conditions are specified at the edge of the simulation domain. The cometary ions can freely leave the simulation box at the outer boundary in all directions, while the upstream boundary condition for the solar wind protons is the undisturbed solar wind and the solar wind can freely leave the simulation domain on all other sides.

We focus on steady state snapshots of the simulation, even though the code can run in time-dependent mode. Steady state simulations can provide useful information like the bow shock location, the size, and the shape of the diamagnetic cavity at reasonable computational cost. In steady state simulations, the comet does not show any time variations. The steady state assumption is reasonable near the comet (within several hundred kilometers of the nucleus) for the same illumination direction from the following simple consideration. Since the neutral gas outflow velocity is about 1 km/s, the time scale of the variations within several hundred kilometers of the comet is about several hundred seconds, which is very short compared with the comet rotation period (about 12 h). On the other hand, steady state simulations can take advantage of the local time stepping technique, in which Case the grid cell advances at its local stable time step. In addition, the plasma source terms are evaluated with a point-implicit algorithm, so the stiffness of these terms do not limit the time step [Tóth et al., 2012]. This algorithm can significantly speed up the convergence toward a steady state. At larger scales, where the time scales become comparable to the rotation period, time-dependent simulations

Table 3. The Input Parameters for the Model\(^a\)

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Value</th>
</tr>
</thead>
<tbody>
<tr>
<td>Distance to the Sun</td>
<td>1.3 AU</td>
</tr>
<tr>
<td>Gas production rate</td>
<td>8 ( \cdot 10^{27} ) s(^{-1})</td>
</tr>
<tr>
<td>Photoionization frequency</td>
<td>6 ( \cdot 10^{-7} ) s(^{-1})</td>
</tr>
<tr>
<td>Solar wind velocity</td>
<td>400 km/s</td>
</tr>
<tr>
<td>Solar wind density</td>
<td>6 protons/cm(^3)</td>
</tr>
<tr>
<td>Solar wind ion temperature</td>
<td>7.9 ( \cdot 10^{4} ) K</td>
</tr>
<tr>
<td>Solar wind electron temperature</td>
<td>1.3 ( \cdot 10^{5} ) K</td>
</tr>
<tr>
<td>Interplanetary magnetic field ( B_y ) component</td>
<td>4.8 nT</td>
</tr>
</tbody>
</table>

\(^a\)The photoionization frequency is scaled from the nominal value at 1 AU from Hansen et al. [2007] [also see Rubin et al., 2015b].
are needed because the environment is not determined by a fixed illumination direction. Time-dependent simulations are also needed when the solar wind is very dynamic. We will carry out time-dependent simulations in future studies.

The local time step in the simulation is controlled by the maximum speed among the sound wave speed of the neutral gas and the fast magnetosonic wave speed of the plasma. As the fast magnetosonic wave speed is much larger than the neutral gas bulk and sound speeds, we would waste lots of computational resources if we ran the neutral gas and the plasma fluids together. To save CPU time, we first run a neutral gas-only simulation to get a steady state solution for the neutral gas background and then run the coupled neutral gas and the multifluid plasma together to obtain the final steady state results.

We simulate the near coma neutral gas and plasma environment for three cases: (1) an idealized comet with a spherical body and uniform neutral gas outflow, (2) an idealized comet with a spherical body and the neutral gas outflow is driven by solar illumination, and (3) Comet 67P/Churyumov-Gerasimenko with a realistic shape model SHAPS5.1 [Preusker et al., 2015] and the neutral gas outflow is driven by solar illumination.

Case 1 is a model validation study to be compared to Rubin et al. [2015b], who simulated the multifluid plasma environment with a Haser neutral gas background of comet CG at different heliocentric distances. Case 1 can also be compared with Koenders et al. [2015], who simulated comet CG at 1.3 AU with a hybrid code. Case 2 improves the model by considering a nonuniform neutral gas outflow driven by solar illumination. Case 3 investigates the effect of using a realistic nucleus shape in the simulation. The Sun position is at latitude $-34^\circ$ and longitude $157^\circ$ in the cometary coordinate system, corresponding to the time at 06:00:00 UT 16 July 2015.

As the neutral gas outflow is illumination driven, we need to adjust the local flux production rate at the comet surface to keep the total gas production rate the same for all three cases. In our study, we apply the total gas production rate as $Q = 8 \cdot 10^{27} \text{ s}^{-1}$ [K. C. Hansen et al., Pre- and post-equinox rosina production rates calculated using a realistic empirical coma model derived from amps-dsmc simulations of comet 67P/churyumov-gerasimenko, in preparation, 2016], which is higher than the total gas production rate ($Q = 5 \cdot 10^{27} \text{ s}^{-1}$) that Rubin et al. [2015b] and Koenders et al. [2015] used. Because the neutral gas outflow is uniform for Case 1, so $F_{\text{min}} = F_{\text{max}}$ and $T_{\text{min}} = T_{\text{max}}$. We set $T_{\text{min}} = T_{\text{max}} = 170.7 \text{ K}$. For Cases 2 and 3, the ratio of $F_{\text{min}}$ and $F_{\text{max}}$, and the values of $T_{\text{min}}$ and $T_{\text{max}}$ are derived from Davidson et al. [2007] and Tenisheva et al. [2008]. At 1.3 AU, the ratio between $T_{\text{max}}$ and $T_{\text{min}}$ is approximately 73. To adjust the local neutral gas production rate, we apply an arbitrary $F_{\text{max}}$, with $F_{\text{min}} = F_{\text{max}}/73$ to run the neutral gas-only model until the solution reaches its steady state. We then obtain the total gas production rate $Q_{\text{model}}$ by integrating the neutral gas flux through a spherical surface at $r = 3 \text{ km}$ and calculate the ratio $R = Q/Q_{\text{model}}$. Because the neutral gas solution depends linearly on $F_{\text{min}}$ and $F_{\text{max}}$, we can simply multiply them with ratio $R$ to obtain the desired production rate $Q$. Gombosi et al. [1986] showed that the neutral gas temperature drops to a very low value with fluid simulations due to the rapid cooling when the neutral gas expands from the comet's surface into the coma. Rubin et al. [2014a] set the neutral gas temperature to 100 K in their simulations, so we also set the minimum temperature of the neutral gas in this study to 100 K in case the neutral gas temperature drops below that. The minimum temperature of the cometary ions, the solar wind protons, and the electrons is also set to 100 K.

We have also performed simulations with different minimum neutral gas temperatures. The overall structures are very similar, but the exact locations of the plasma boundaries are slightly different, which is expected as the minimum neutral gas temperature can change the neutral gas velocity. In the inner coma region, the cometary ion velocity is strongly coupled with the neutral gas velocity. The major impact of different minimum neutral gas temperatures is the configuration of the current sheet. Since the reconnection process cannot be completely captured with a fluid model, the solution in this region is not expected to be perfect in any case.

The parameters for the local flux production rate and the temperature are listed in Table 2, while the input parameters are listed in Table 3. Simulation results and discussion are presented in section 4.

4. Simulation Results and Discussion

Case 1 studies an idealized comet with a spherical body and uniform neutral gas outflow, whose neutral gas solution is very close to the Haser model [Hasar, 1957]. The neutral gas density in the Haser model can be described as $n_h = \frac{Q_h}{4\pi u_{\text{in}} |r|^2} e^{-\frac{|r|^2}{2\sigma^2}}$, where $Q_h$ is the total gas production rate, $r$ is the distance from the comet center, $u_{\text{in}}$ is the outflow velocity, and $\nu_i$ is the ionization frequency, respectively. The major differences to our model are that the outflow velocity is not a constant and there is no loss due to photoionization at this time in
Figure 1. (top) The cometary neutral gas density for Case 1 and the Haser model within 1000 km of the nucleus. (bottom) The cometary neutral gas velocity for Case 1. The vertical dashed lines indicate the inner boundary of the simulation.

As we are interested in the inner coma environment, the loss terms to the neutral gas fluid can be neglected. They are important when we study the environment far away from the comet. The cometary neutral gas density for Case 1 and the Haser model (where we substitute $Q_n = 8 \cdot 10^{27} \, s^{-1}$, $u_n = 1 \, km/s$ and $\nu_{\theta} = 6 \cdot 10^{-7} \, s^{-1}$ in the Haser model equation to obtain the neutral gas density) is shown in Figure 1 (top). Figure 1 (bottom) plots the cometary neutral gas velocity for Case 1 in the same range. It can be seen that the cometary neutral gas density for Case 1 is very close to what is obtained from the Haser model, especially within 200 km of the nucleus. At larger distances, the Haser model has a higher density than Case 1, which is due to the fact that the cometary neutral gas velocity for Case 1 is higher than the Haser model (see Figure 1 (bottom)).

Case 2 simulates an idealized comet with a spherical body and nonuniform neutral gas outflow which is driven by solar illumination. This simulation is a better approximation than Case 1 because the solar illumination is taken into account and it is the driver of the neutral gas outflow. As we will show later in this section, the neutral gas solution shows a strong asymmetry between the dayside and nightside, with larger neutral gas density in the dayside (see Figures 3 and 4 and related discussion in section 4.1). The asymmetry in the neutral gas solution leads to a very different cometary heavy ion distribution because the cometary heavy ions come from the neutrals through photionization and charge exchange. Case 3 investigates how the nonspherical nucleus changes the near coma environment. To perform this study, we incorporated a realistic shape model SHAPS1 [Preusker et al., 2015] of Comet 67P/Churyumov-Gerasimenko.

4.1. Neutral Gas

Figure 2 shows the neutral gas distribution in the $y = 0$ plane in the full simulation domain. Figures 2 (top), 2 (middle), and 2 (bottom) represent Cases 1, 2, and 3, respectively. As expected, the neutral gas
distribution is spherically symmetric in Case 1 because the neutral gas outflow is uniformly distributed on the sphere. Case 2 shows a strong neutral gas outflow on the dayside because the flow is solar illumination driven, while the distribution is still symmetric around the $x$ axis. The realistic CG simulation (Case 3) is represented in Figure 2 (bottom) where we consider both the shape and the solar illumination, and no symmetries can be found.

Figure 3 shows the neutral gas solutions in a 2-D plane within 400 km of the comet center. Figure 3 (left column) shows the H$_2$O number density in the $y = 0$ plane for the three cases, while Figure 3 (right column) presents the solution in the $z = 0$ plane. It is obvious that the neutral gas solution in Figure 3 (top row) has a symmetric distribution as expected from a spherical body with uniform outflow. When the neutral gas outflow is solar illumination driven, the neutral gas solution has a strong asymmetry between dayside and nightside, as shown in Figure 3 (middle row). The neutral gas solution becomes more asymmetric when the real shape
of comet CG is taken into account, as indicated in Figure 3 (bottom row). Similar behaviors can be seen in Figure 4, which plots the neutral gas velocity distribution in a 2-D plane within 400 km of the comet center in a similar manner. The neutral gas velocities obtained from the MHD model are consistent with what are obtained by Bieler et al. [2015] with a pure neutral gas fluid model, even though the values are larger than the expansion velocity of about 0.68 km/s, which is reported by Gulkis et al. [2015].

The cometary neutral gas temperature is 100 K everywhere. The reason is that due to the rapid cooling, the cometary neutral gas temperature drops to a small value when the neutral gas expands from the comet’s surface into the coma [Gombosi et al., 1986]. As we set the minimum temperature of the neutral gas to 100 K, the neutral gas could not drop below 100 K. We also rerun Case 3 with the minimum neutral gas temperature set to 50 K or 150 K, and we found that the structures look similar with minor differences.

### 4.2. Cometary Heavy Ions

Figure 5 plots the cometary heavy ion (H$_2$O$^+$) distribution in the $y = 0$ plane in the full simulation domain. The three cases do not show significant differences on the large scale. Because far away from the comet,
The neutral gas velocity distribution in the (left column) $y = 0$ and (right column) $z = 0$ planes, respectively.

Rubin et al. [2014b] observed the gyration of the cometary heavy ion (see Figure 1 in their paper) at a heliocentric distance 2.7 AU from the Sun in their simulations. Beside fluid simulations, Bagdonat and Motschmann [2002] also observed the gyration with their hybrid simulation for comet Wirtanen. The gyration comes from the term $Z_{sns} (u_s - u_n)$ in equation (6). As the cometary ions and the solar wind protons are coupled together behind the bow shock (which will be discussed later, see Figure 9), the velocity difference between the cometary ions and the solar wind protons is small. Due to the small difference between the two ion fluid velocities and a stronger magnetic field at 1.3 AU, the gyration effect is reduced and not visible in our simulations. A multifluid simulation of comet CG at 1.3 AU provided by Rubin et al. [2015b] also confirmed that the gyration is not visible at this heliocentric distance.

Figure 6 shows the $\text{H}_{2}\text{O}^{+}$ distribution within 400 km of the nucleus, where the cometary heavy ion distribution shows significant differences due to the different neutral gas distributions (see Figure 3). In the shadow of the nucleus, where the photoionization rate drops to zero, the cometary ion density drops to small values, as indicated in the figure. Another noticeable feature is a density enhancement region at around $+50$ km for Case 1,
Figure 5. The cometary heavy ion (H$_2$O$^+$) distribution in the $y = 0$ plane in the full simulation domain.

and $+120$ km for Cases 2 and 3 (see Figure 7) on the dayside in all three cases. This density enhancement is the so-called recombination layer, which has been observed previously by the Giotto mission [Balsiger et al., 1986; Goldstein et al., 1989] and numerically simulated by Cravens [1989] and Gombosi et al. [1996]. This recombination layer lies between the inner shock, which slows down the supersonic cometary ion flow to subsonic flow, and the contact surface that the solar wind protons cannot penetrate. Figure 7 shows that the recombination layer is inside the peak of the solar wind proton density, which is formed by the pileup of the solar wind protons in front of the contact surface, indicating that the recombination layer is inside the contact surface. With respect to comet CG, Koenders et al. [2015] reported a recombination layer in between 25 km and 45 km away from the nucleus when they simulated the plasma interaction region of the comet at 1.3 AU, which is in good agreement with our Case 1 result. Rubin et al. [2015b] applied a multifluid code to study comet CG and found a recombination layer in between 32 km and 42 km.
Figure 6. The cometary heavy ion ($H_2O^+$) distribution within 400 km of the nucleus in the (left column) $y = 0$ and (right column) $z = 0$ planes, respectively.

Figure 7. The cometary ion density (solid lines) and solar wind proton density (dashed lines) along the Sun-comet line within 200 km of the nucleus. A density pileup region in both the cometary ion distribution and solar wind proton distribution is located at around 50 km in Case 1 and about 120 km in both Cases 2 and 3 in the $+x$ direction. The pileup regions in the tail direction is discussed in section 4.7. The vertical dashed lines indicate the inner boundary of the simulation.
4.3. Bow Shock Position

Figure 8 shows density of the solar wind protons in the $y = 0$ plane in the full simulation domain for all three cases. The three simulation cases do not show noticeable differences at large scale. Again, because the solar wind protons and cometary ions have similar velocities behind the bow shock, no large-scale gyration can be observed in the figure. A bow shock is found at around 6000 km in Case 1 and about 10,000 km in both Cases 2 and 3. We summarize the distance of the bow shock along the $+x$ axis in Table 4. The shock position can be seen more clearly in Figure 9, which shows the H$^+$ density in a smaller region. Galeev et al. [1985] obtained an analytical approximation of the bow shock distance by considering mass loading and charge exchange in the continuity equation, the momentum equation, and the pressure equation:

$$ R_{bs} = \frac{m_i}{m_p} \frac{Q I_0}{4 \pi u_n u_{sw} [\hat{\rho} \hat{u}_i - 1]^2}, $$  

(8)

where $m_i$, $m_p$, $n_{sw}$, $u_{sw}$, $I_0$, $u_n$, and $Q$ are the mass of the cometary heavy ion, the mass of the solar wind proton, the solar wind number density, the solar wind speed, the ionization frequency, the neutral gas outflow velocities, and the total neutral gas production rate, respectively. $\hat{\rho} \hat{u}_i$ is the contaminated solar wind flow parameter.

<table>
<thead>
<tr>
<th>Bow Shock Distance (km)</th>
<th>Diamagnetic Cavity Distance (km)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Case 1</td>
<td>6000</td>
</tr>
<tr>
<td>Case 2</td>
<td>10,000</td>
</tr>
<tr>
<td>Case 3</td>
<td>10,000</td>
</tr>
</tbody>
</table>

*The distances are given from the center of the nucleus along the $+x$ axis.*
A bow shock is found at around $0.6 \times 10^4$ km in Case 1 and about $10^4$ km in both Cases 2 and 3, which is equal to a critical value of $(\rho_u)_c = 1.185$ for a $M = 2$ shock from their numerical simulations. Koenders et al. [2013] suggested that the radius of the nucleus has a small impact on the bow shock position and replaced $(\rho_u)_c - 1$ in equation (8) with $(\rho_u)_c - 1 + A$, where $A = \frac{\text{mi}}{\text{mp}} \frac{4 \pi n_{sw} u_{sw} (u_{sw} + R_{nucleus})}{Q_0}$, $Q_0 = 8 \cdot 10^{27}$ s$^{-1}$, $R_{nucleus} = 1$ km/s, and $Q = 8 \cdot 10^{27}$ s$^{-1}$ into the equation, we obtain $R_{bs} \approx 15,000$ km/s, which is 50% to twice larger than the bow shock distances from the simulations. Rubin et al. [2015b] found a bow shock at around 3000 km in their simulation of comet CG near perihelion, which is about 40% closer than our Case 1 result. This is expected because they applied a lower neutral gas production rate as $5 \cdot 10^{27}$ s$^{-1}$ while we apply $8 \cdot 10^{27}$ s$^{-1}$, and they applied a Haefer neutral gas background while the neutral gas fluid in Case 1 is different than the Haefer model (see Figure 1).

4.4. Diamagnetic Cavity

Figure 10 shows the magnetic field magnitude in a 2-D plane within 400 km of the nucleus. Figure 10 (left column) shows the magnetic field strength in the $y = 0$ plane, while Figure 10 (right column) shows the magnetic field strength along with magnetic field traces in the $z = 0$ plane for the three cases. In all cases, a diamagnetic cavity is found near the comet within 50 km to 100 km (see Figure 11), and a magnetic field pileup region is formed in front of the cavity. We summarize the distance of the diamagnetic cavity along the +x axis in Table 4. The maximum magnetic field strength is about 72 nT in Case 1 and 60 nT in both Cases 2 and 3. Koenders et al. [2015] obtained a maximum magnetic field strength of 78 nT in their hybrid simulation, which is in good agreement with our Case 1 value.
Figure 10. The magnetic field magnitude within 400 km of the nucleus in the (left column) $y = 0$ and (right column) $z = 0$ planes, respectively.

Figure 11. The magnetic field magnitude along the $x$ axis within 200 km of the nucleus. The vertical dashed lines indicate the inner boundary of the simulation.
As discussed by Cravens [1986], the diamagnetic cavity is inside the contact surface and a cometary contact surface is formed when the $\mathbf{j} \times \mathbf{B}$ force is balanced by the ion-neutral drag force. Gombosi [2015] provided an analytical approximation of the radius of the contact surface:

$$R_{cs} = \sqrt[4]{\frac{m_i}{m_p} \frac{k_{in}}{4\pi d_i n_{sw} u_{sw}^2} \frac{l_0}{4\pi \alpha u_n} Q^{3/4}}$$

where $m_i$, $m_p$, $k_{in}$, $d_i$, $n_{sw}$, $u_{sw}$, $l_0$, $u_n$, and $Q$ are the mass of the cometary heavy ion, the mass of the solar wind proton, the ion-neutral charge transfer collision frequency, the heliocentric distance, the solar wind number density, the solar wind speed, the photoionization frequency, the neutral gas velocity, and the total neutral gas production rate, respectively, and $\alpha = 1.21 \times 10^{-5} / \sqrt{T_e}$ cm$^3$/s is the dissociative ion-electron recombination frequency, where $T_e$ is the electron temperature in Kelvins. If we substitute $m_i = 18$ amu, $m_p = 1$ amu, $k_{in} = 1.1 \times 10^{-9}$ cm$^3$/s, $d_i = 1.3$ AU, $n_{sw} = 6$ cm$^{-3}$, $u_{sw} = 400$ km/s, $l_0 = 6 \cdot 10^{-7}$ s, $u_n = 1$ km/s, $Q = 8 \cdot 10^{27}$ s$^{-1}$, and $T_e = 100$ K into the equation, we then get $R_{cs} = 75.3$ km. Figure 11 shows that the diamagnetic cavity is at around 50 km on the dayside for Case 1, which can be compared with the analytical approximation because both assume a spherical body with uniform outflow. This simulation shows that the distance is about 35% smaller than the analytical expectation, which is not an unreasonable comparison if we consider that the analytical derivation relies on several simplifying assumptions. When we compare the three cases shown in Figure 10, we find that Cases 1 and 2 have symmetric structures as the neutral gas background is symmetric in both cases and the ion gyro-motion effect is small and does not cause significant asymmetries. On the other hand, Case 3 shows significant asymmetry due to the shape and orientation of the nucleus.

**Figure 12.** The electron temperature along the Sun-comet line within 200 km of the nucleus. The vertical dashed lines indicate the inner boundary of the simulation.

**Figure 13.** The cometary ion temperature along the Sun-comet line within 200 km of the nucleus. The vertical dashed lines indicate the inner boundary of the simulation.
Figure 14. (left column) The magnetic field strength with its direction vectors in the $z = 0$ plane in the tail region for the three cases. (right column) The cometary ion density with their velocity vectors in the $z = 0$ plane.

Koenders et al. [2015] reported a diamagnetic cavity at around 25 km in their hybrid simulation of comet CG at 1.3 AU, while Rubin et al. [2015b] predicted the distance at around 32 km from their multifluid simulations. These two simulations provide good agreement with our Case 1 result if we consider the situation that we apply a larger neutral gas production rate ($8 \cdot 10^{27}$ s$^{-1}$) than their simulations ($5 \cdot 10^{27}$ s$^{-1}$) and the differences in the neutral gas background. Goetz et al. [2016] observed the diamagnetic cavity of CG at around 170 km away from the nucleus, which is much farther away than the predicted value (100 km) in Case 3. They suggested that instabilities propagating along the cavity boundary may be responsible for the unexpected large size of the diamagnetic cavity. Even though we do not observe instabilities in our simulations with fixed upstream solar wind boundary conditions, it is possible that with dynamic solar wind boundary conditions, instabilities can develop along the cavity boundary. This will require a time-dependent simulation and will be investigated in future studies.

4.5. Electron Temperature

Figure 12 plots the electron temperature along the $x$ axis. The electron temperature slightly increases (but is still coupled to the neutral gas temperature) along the Sun-comet line from the nucleus to the inner shock. The electrons cool slightly in the recombination layer. Then, the temperature starts to increase again beyond the recombination layer. A dramatic increase in the electron temperature is observed at around 80 km (Case 1) and 170 km (Cases 2 and 3), where the electron temperature decouples from the neutral temperature and...
therefore suppresses further ion-electron recombination. Gombosi [2015] provided an approximation of the electron-neutral decoupling distance as

\[ R_{\text{en}} = \frac{208 \, Q \, R_n^2}{\sqrt{T_e \, 10^{28} \, u_n}}, \]  

(10)

where \( T_e, Q, u_n, \) and \( R_n \) are the electron temperature, the total gas production rate, the neutral gas velocity, and the comet radius, respectively. By substituting \( T_e = 100 \text{K} \), \( Q = 8 \cdot 10^{27} \text{s}^{-1} \), \( u_n = 1 \text{km/s} \), and \( R_n = 2 \text{km} \), one can obtain a decoupling distance of 66.56 km, which compares well with Case 1 that assumes a spherically symmetric neutral gas distribution similar to the analytic assumption. The illumination driven cases (Cases 2 and 3), on the other hand, have much larger electron-neutron decoupling distances.

4.6. Cometary Ion Temperature

Figure 13 plots the cometary ion temperature along the \( x \) axis. One can see that the cometary ion temperature is strongly coupled with the neutral gas temperature within the inner shock. The cometary ion temperature starts to increase in the recombination layer and beyond the recombination layer and gradually increases to the solar wind ion temperature. This result is consistent with the simulation provided by Cravens [1989]. Haerendel [1987] and Cravens [1989] suggested that there are two processes associated with the increase of the cometary ion temperature. The first process is compressional heating associated with the contact surface, and it is dominant in the recombination layer. The illumination driven cases (Cases 2 and 3), on the other hand, have much larger electron-neutron decoupling distances.

4.7. Reconnection in the Tail

Reconnection is a widely discussed phenomenon in the terrestrial magnetosphere [for example, Birn et al., 2001] and planetary magnetospheres [e.g., Paschmann et al., 2013]. Russell et al. [1986] proposed a reconnection model for comet tail disconnections, which is similar to the terrestrial substorm. They suggested that the encounter with an interplanetary shock or the decrease in solar wind Alfvén Mach number may trigger disconnection events in the comet tail region. We briefly discuss the reconnection that is observed in our simulations.

Figures 14 (top row), 14 (middle row), and 14 (bottom row) show the magnetic field strength with the magnetic field vectors (left) and the cometary ion density with its velocity vectors (right) in the \( z = 0 \) plane in the tail region for the three cases. It can be seen that the magnetic field changes its direction along the Sun-comet line, where the current sheet forms, in Cases 1 and 2, indicating occurrence of magnetic reconnections in this region. For Case 3, the current sheet is tilted because of the complex distribution of the cometary heavy ions due to the nucleus shape. In Cases 2 and 3, there is a magnetic pileup region in the tail that isolates...
Figure 16. The $B_y$ component along the Sun-comet line. The vertical dashed lines indicate the inner boundary of the simulation. The horizontal dashed line indicates the value of zero.

Figure 16 shows the $B_y$ component along the Sun-comet line for the three cases. It can be seen that the $B_y$ component changes its direction at about 250 km in the tail direction, where the magnetic null point locates and the magnetic reconnection takes place. Figure 17 shows the $X$ component of the cometary ion velocity $V_x$ along the Sun-comet line. We can see that for Case 1, the cometary ion velocity does not change its sign, though a deceleration region of the flow can be found between 110 km and 160 km in the tail direction,
whereas the flow changes its direction for Cases 2 and 3 at about 200 km. In a classical magnetic reconnection picture, the velocity changes its direction at the magnetic null point [Parker, 1957]. However, Siscoe et al. [2002] proposed a possible mode of the magnetic reconnection called “flow-through reconnection” or “FTR,” in which Case the plasma and magnetic field flow in opposite directions. Later Cluster observations have confirmed this reconnection mode [Maynard et al., 2012]. This FTR seems to be the reconnection mode in our simulations. Case 1 represents an extreme Case when the X component of the velocity does not change sign at all.

5. Summary and Conclusions

In this paper, we have presented a four-fluid MHD model for a cometary plasma environment that includes the neutral gas, the cometary heavy ions, the solar wind protons, and the electrons. We investigated the plasma environment by performing three simulation runs: an idealized comet with a spherical body and uniform neutral gas outflow; an idealized comet with a spherical body and the neutral gas outflow driven by solar illumination; comet 67P/Churyumov-Gerasimenko with nucleus shape SHAP5.1; and the neutral gas outflow driven by solar illumination as in Case 2.

Our simulation results show that the large-scale plasma structures look similar among the three cases, though the bow shock distance for Case 1 is at about 6000 km while it is located at around 10,000 km in Cases 2 and 3. This difference can be explained by the fact that the neutral gas outflow is much stronger on the dayside for Cases 2 and 3. A stronger neutral gas outflow in effect can be mimicked by a higher total neutral gas production rate. If we again use equation (8) to estimate the bow shock position, then a higher neutral gas production rate will push the bow show further away from the nucleus.

In the vicinity of the nucleus, the numerical model reproduces the main features predicted by analytic models: the inner shock, the recombination layer, the diamagnetic cavity, and the contact surface. The locations of these features can be estimated by analytical formulas, and they provide values in reasonable agreement with the Case 1 simulation that assumes a spherically symmetric outflow for the neutrals. For the illumination driven simulations (Cases 2 and 3), the locations of these features are very anisotropic and different from the simple analytic estimates. The most distinct difference between Cases 2 and 3 is that in Case 3 the plasma structures are more realistic in the inner coma region, while Case 2 can only provide the general locations for these structures.

Our simulation results for the three cases show significant differences in the inner coma environment. When the solar illumination and/or the real shape of comet CG are taken into account, strong asymmetries can be observed in the neutral gas outflow, and the plasma environment changes accordingly in our simulations. We find that the neutral gas density, the cometary ion density, and the magnetic field magnitude have very different distributions in the near coma region. Our simulations show some new features that have not been reported in the literature. We observe magnetic reconnection, a magnetic pileup region, and nucleus directed plasma flow inside the nightside reconnection region.

Bieler et al. [2015] have already performed numerical simulations from our neutral gas-only model and compared with the observations from ROSINA onboard Rosetta and showed that our model results agree well with observations. It is essential to apply a realistic shape model in the simulation to have a detailed comparison between the simulation results and the plasma observations. It would be very interesting to compare the results from Case 3 with plasma observations onboard Rosetta. This will be done in a future study when the rotation of the nucleus and the time-dependent solar illumination will be taken into account.

References


