

Impact of GNSS Orbit Modeling on Reference Frame Parameters

Daniel Arnold¹ Michael Meindl² Gerhard Beutler¹ Rolf
Dach¹ Stefan Schaer³ Simon Lutz³ Lars Prange¹
Krzysztof Sośnica¹ Adrian Jäggi¹

¹*Astronomical Institute, University of Bern, Switzerland*

²*Inst. of Geodesy and Photogrammetry, ETH Zurich, Switzerland*

³*Federal Office of Topography, Wabern, Switzerland*

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Outline

Introduction / the ECOM

Problems with the ECOM

Extending the ECOM

Results with the new ECOM

Conclusions

Orbit modeling

- Every satellite method of space geodesy has to determine orbit parameters of the observed satellites when solving for global parameters of geophysical interest (geocenter, Earth rotation parameters, ...)
→ Orbit modeling deficiencies map into parameters!
- Most important non-gravitational force: Solar radiation pressure (SRP). Causes orbital perturbations of ~ 100 m after one revolution.
- A priori SRP modeling: E.g. ROCK models for GPS, or box-wing models
- Empirical SRP modeling: Estimate appropriate empirical accelerations. E.g. **ECOM**.

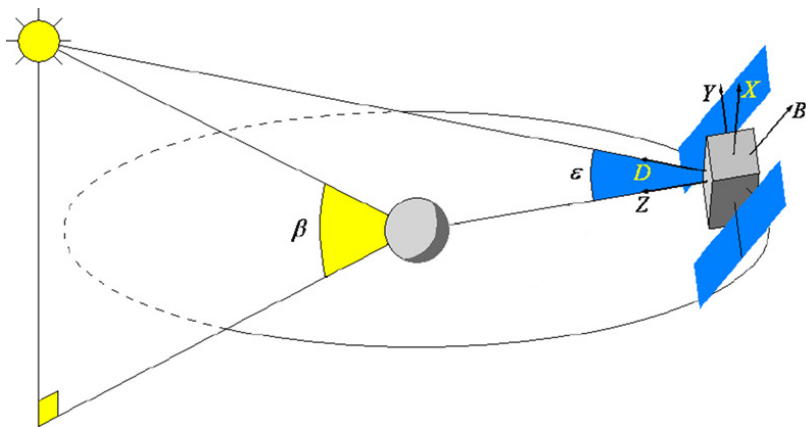
The ECOM

CODE: Center for Orbit Determination in Europe

Empirical CODE Orbit Model (ECOM, Beutler et al., 1994):

- Motivated by the lack of reliable satellite information and the concern that estimating a scaling factor for the ROCK models is not sufficient
- Decompose perturbing accelerations into three orthogonal directions suitable for SRP modeling

The ECOM (2)



The ECOM (3)

A priori model

Argument of latitude

$$\vec{a} = \vec{a}_0 + D(u)\vec{e}_D + Y(u)\vec{e}_Y + B(u)\vec{e}_B,$$

The ECOM (3)

$$\vec{a} = \vec{a}_0 + D(u)\vec{e}_D + Y(u)\vec{e}_Y + B(u)\vec{e}_B,$$

$$D(u) = D_0 + D_c \cos u + D_s \sin u$$

$$Y(u) = Y_0 + Y_c \cos u + Y_s \sin u$$

$$B(u) = B_0 + B_c \cos u + B_s \sin u,$$

The ECOM (3)

$$\vec{a} = \vec{a}_0 + D(u)\vec{e}_D + Y(u)\vec{e}_Y + B(u)\vec{e}_B ,$$

$$D(u) = D_0$$

$$Y(u) = Y_0$$

$$B(u) = B_0 + B_c \cos u + B_s \sin u ,$$

The ECOM (3)

$$\vec{a} = \vec{a}_0 + D(u)\vec{e}_D + Y(u)\vec{e}_Y + B(u)\vec{e}_B,$$

$$D(u) = D_0$$

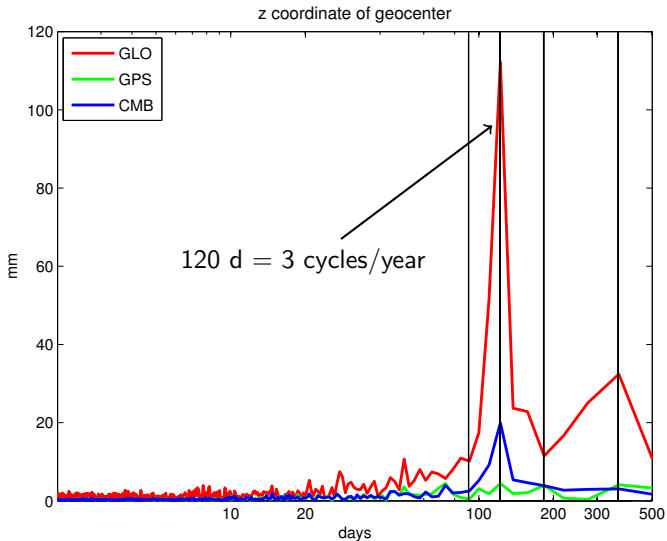
$$Y(u) = Y_0$$

$$B(u) = B_0 + B_c \cos u + B_s \sin u,$$

5-parameter ECOM, widely and successfully used for the last 20 years.
At CODE since mid 2013 without a priori model \vec{a}_0 .

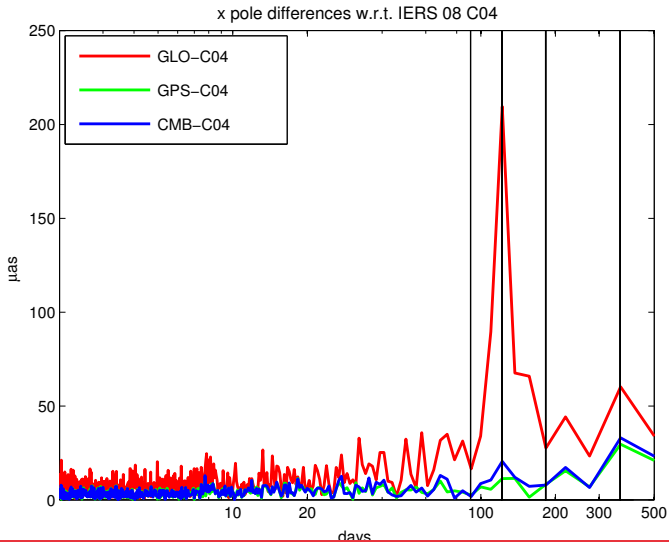
Problems with the ECOM

Traditional ECOM shows deficiencies when applied to GLONASS:



Problems with the ECOM

Traditional ECOM shows deficiencies when applied to GLONASS:



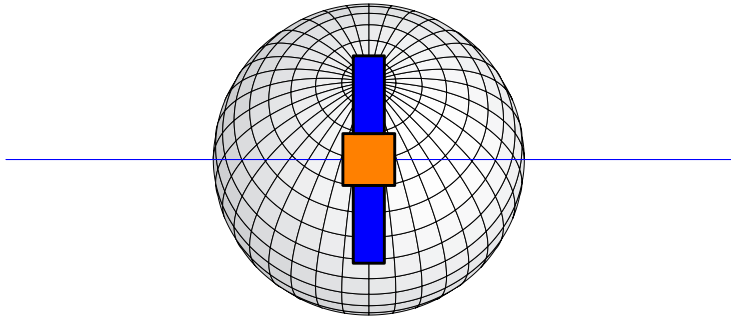
Problems with the ECOM

- GLONASS induces huge artifacts in time series of geodynamical and reference frame parameters
- Meindl et al., 2013 explained mechanism how this could be introduced into geocenter results
- Rodríguez-Solano et al., 2014 traced back the problems to the ECOM: Using an adjustable box-wing model significantly reduces the spurious signals

→ Revise ECOM!

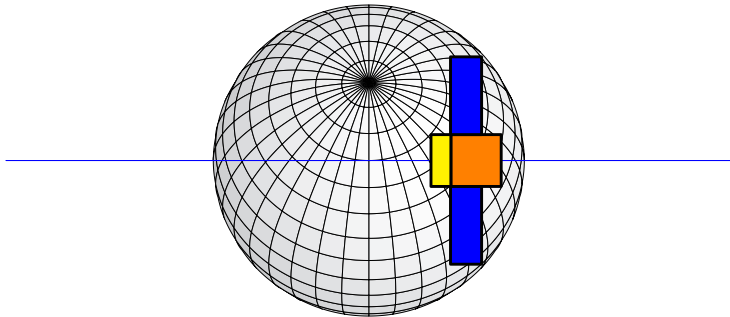
Observing GLONASS satellite from Sun

$(\beta = 0^\circ)$



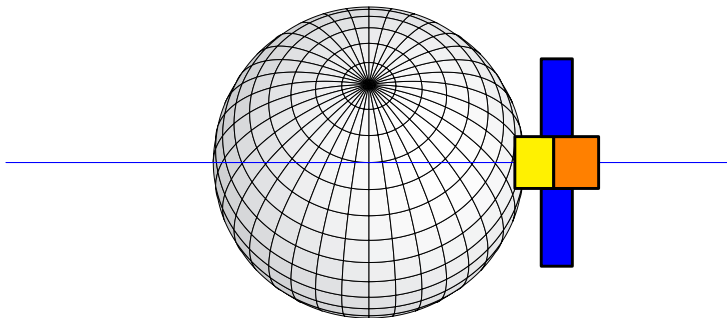
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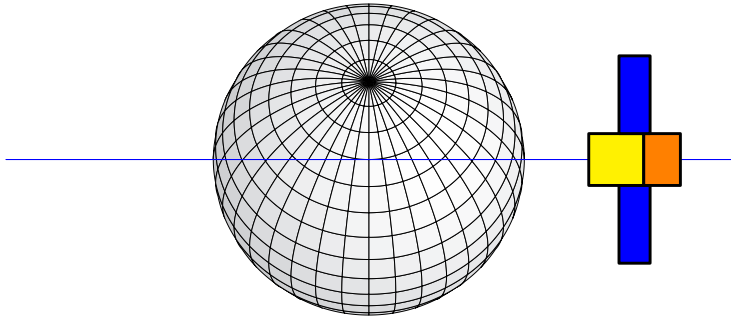
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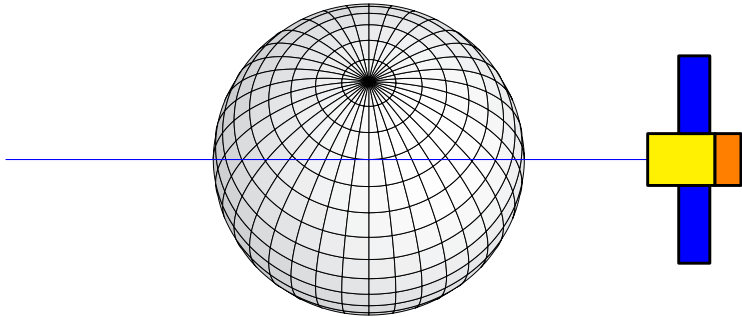
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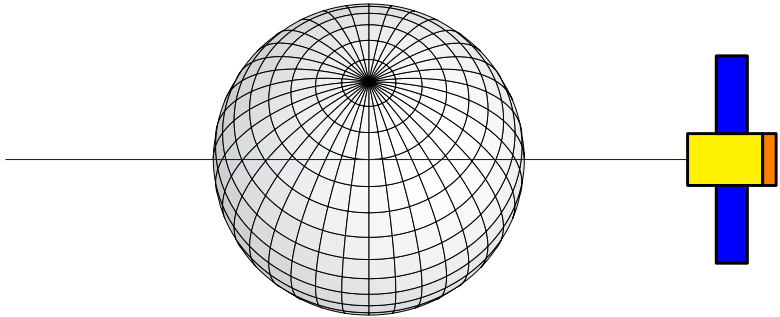
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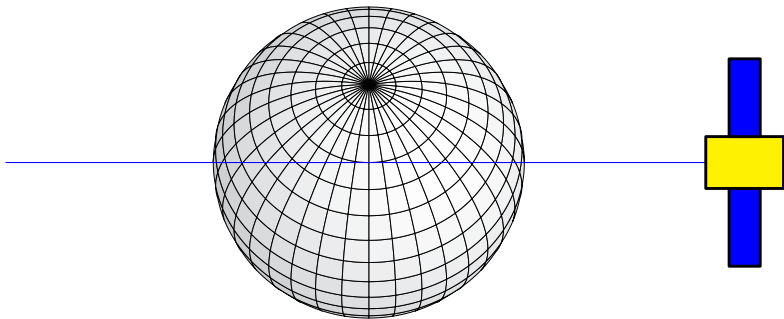
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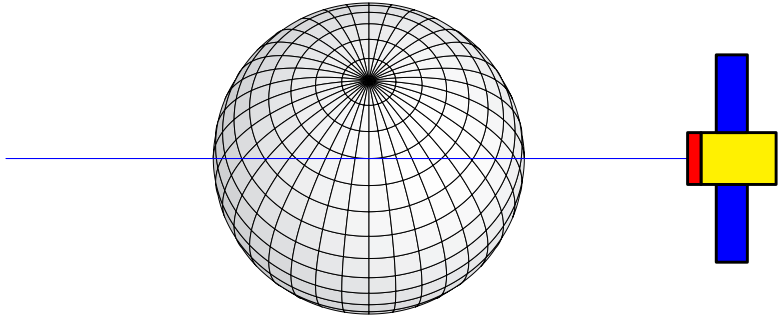
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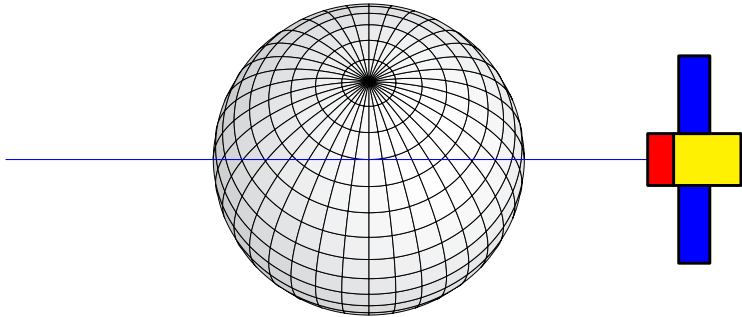
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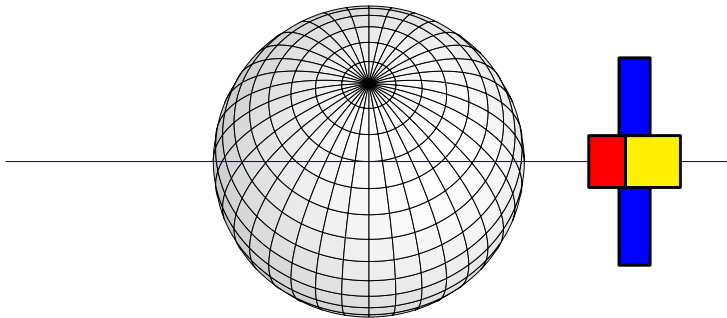
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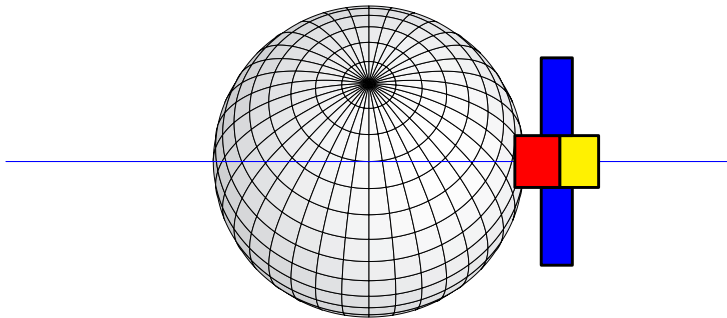
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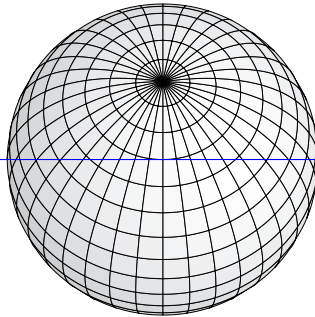
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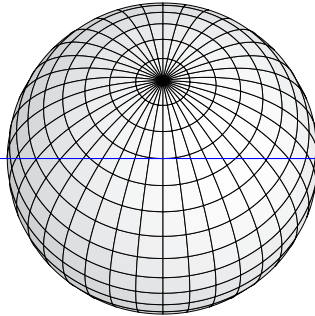
Observing GLONASS satellite from Sun

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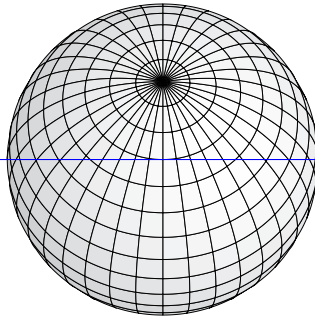
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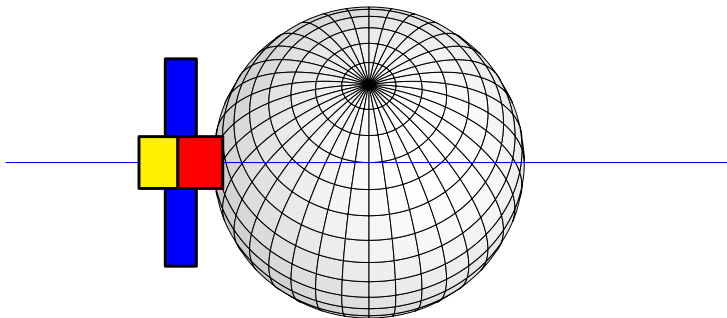
Observing GLONASS satellite from Sun

$(\beta = 0^\circ)$

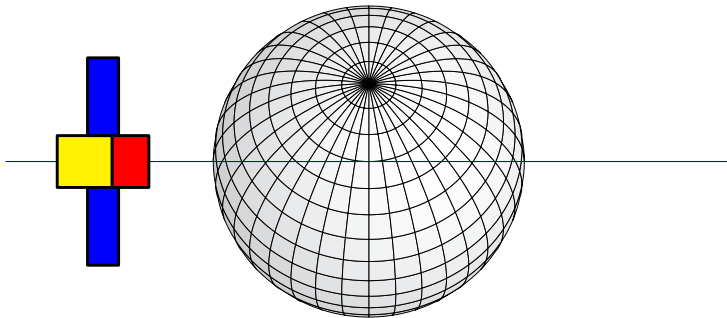


Observing GLONASS satellite from Sun

$(\beta = 0^\circ)$

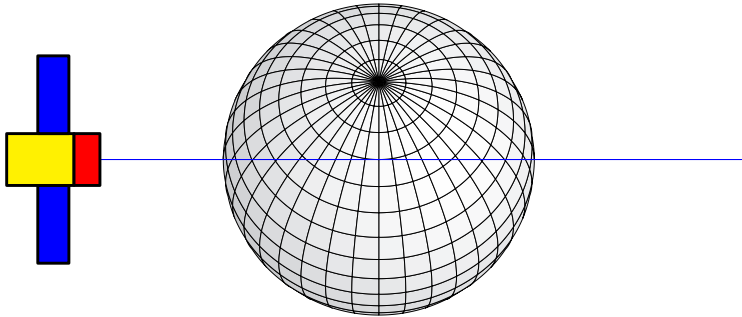


Observing GLONASS satellite from Sun ($\beta = 0^\circ$)



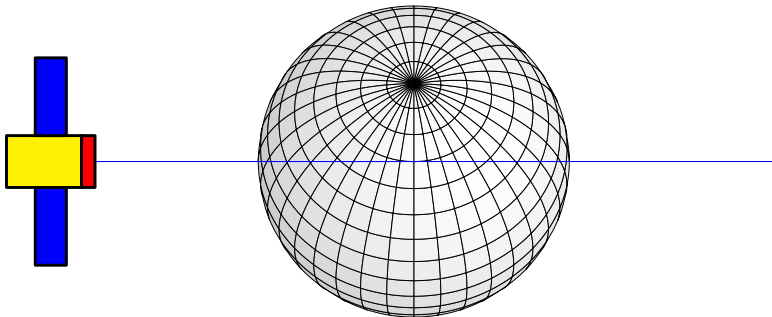
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$(\beta = 0^\circ)$



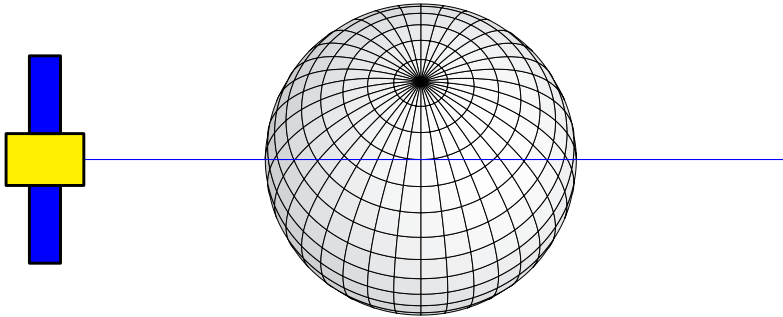
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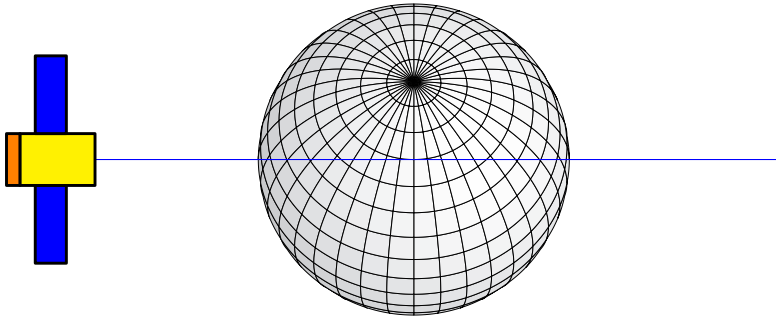
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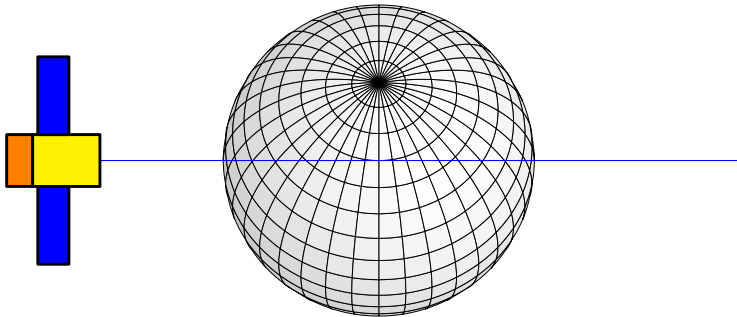
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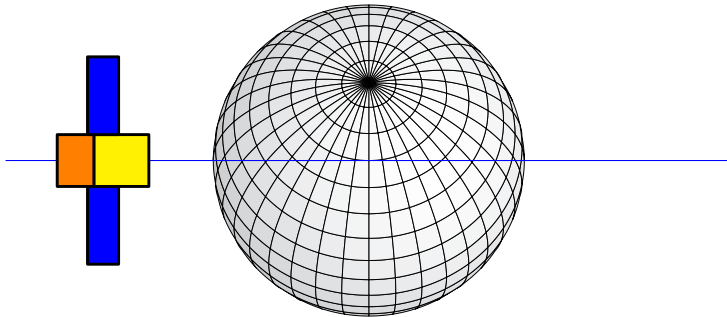
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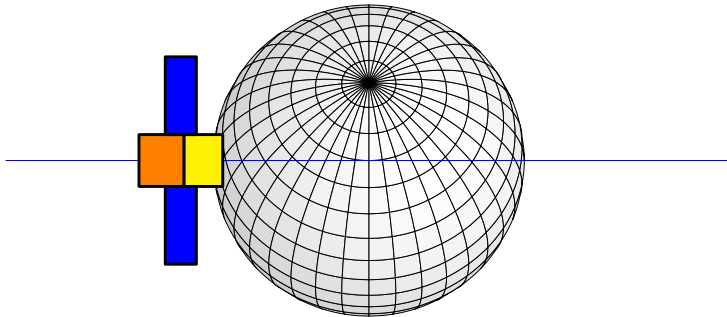
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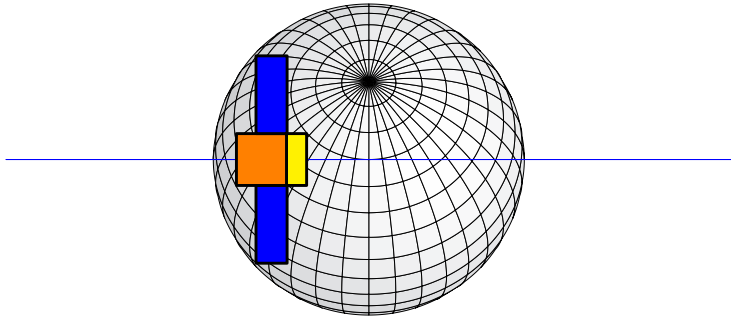
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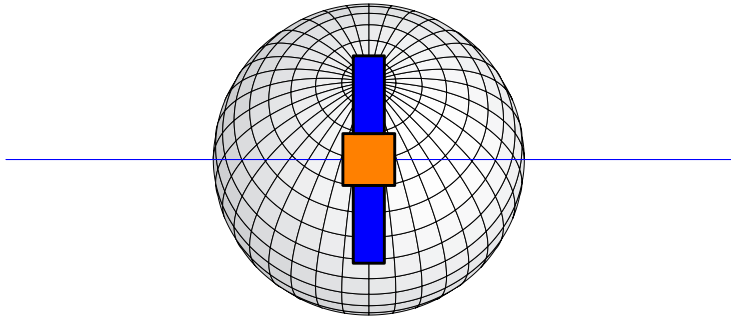
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Observing GLONASS satellite from Sun

$(\beta = 0^\circ)$



Extending the ECOM

- Solar panels are (ideally) always perpendicular to \vec{e}_D and only cause a (large) contribution to D_0 .
- For elongated satellite bodies (like GLONASS), the periodic D -terms must not be neglected!
- The periodic terms become more important for low β -angles
- **For perfect yaw-steering attitude of a satellite with symmetric surface properties:**
 - D -terms: D_0, D_2, D_4, \dots
 - B -terms: B_1, B_3, B_5, \dots
- A Sun-fixed angular argument is more appropriate for interpretation of estimated ECOM parameters. Use

$$\Delta u \doteq u - u_s$$

where u_s is the argument of latitude of the Sun.

Extending the ECOM

$$D(u) = D_0$$

$$Y(u) = Y_0$$

$$B(u) = B_0 + B_{1,c} \cos(u) + B_{1,s} \sin(u)$$

Extending the ECOM

$$D(u) = D_0 + D_{2,c} \cos(2\Delta u) + D_{2,s} \sin(2\Delta u) \\ + D_{4,c} \cos(4\Delta u) + D_{4,s} \sin(4\Delta u) + \dots$$

$$Y(u) = Y_0$$

$$B(u) = B_0 + B_{1,c} \cos(\Delta u) + B_{1,s} \sin(\Delta u) \\ + B_{3,c} \cos(3\Delta u) + B_{3,s} \sin(3\Delta u) + \dots$$

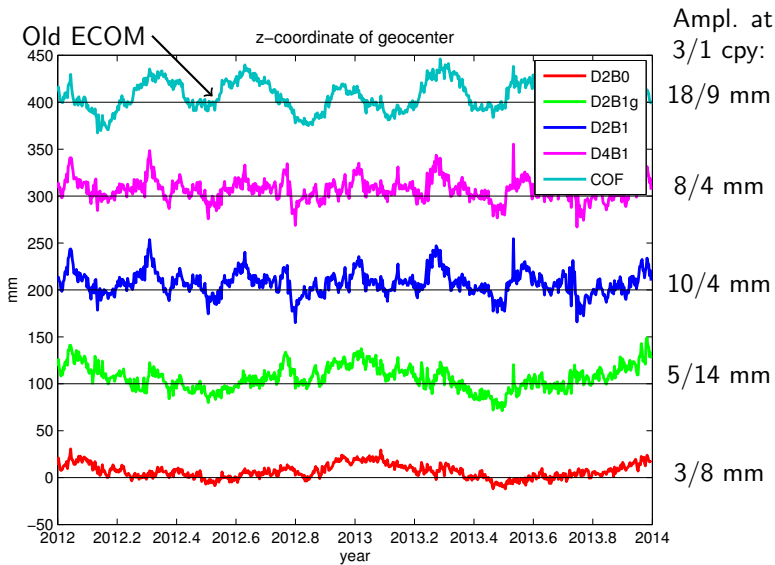
The new ECOM

Different parametrizations were extensively tested using as quality measures

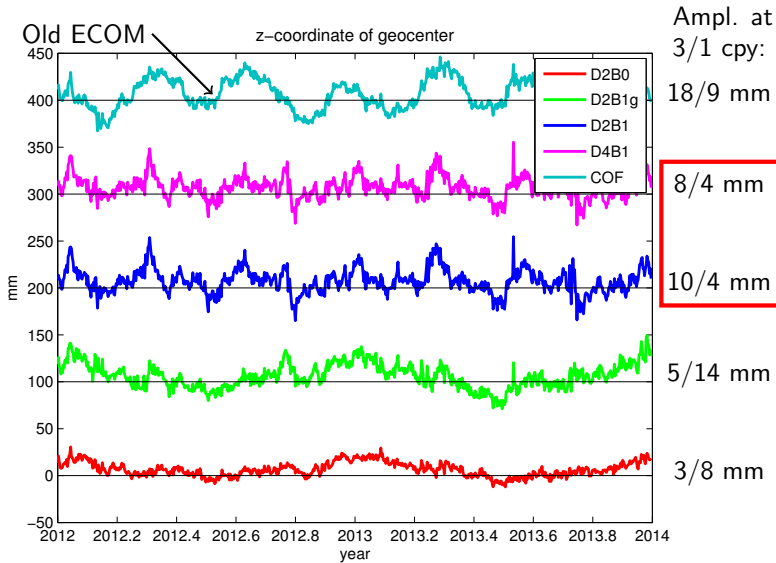
- Geocenter coordinates,
- ERPs,
- Station coordinates,
- Satellite orbits,
- SLR validation of satellite orbits.

Sol	D_2	D_4	B_1	# par
D2B0	yes	no	no	5
D2B1g	yes	no	GPS	5(GLO), 7(GPS)
D2B1	yes	no	yes	7
D4B1	yes	yes	yes	9
COF (D0B1)	no	no	yes	5

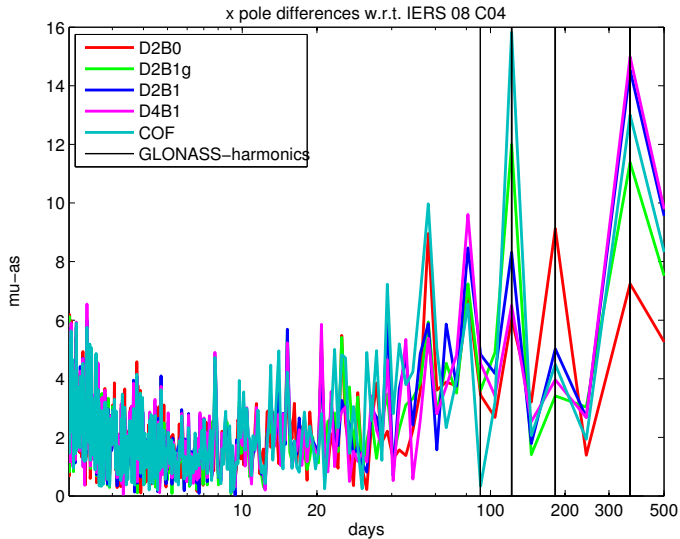
The new ECOM



The new ECOM



The new ECOM

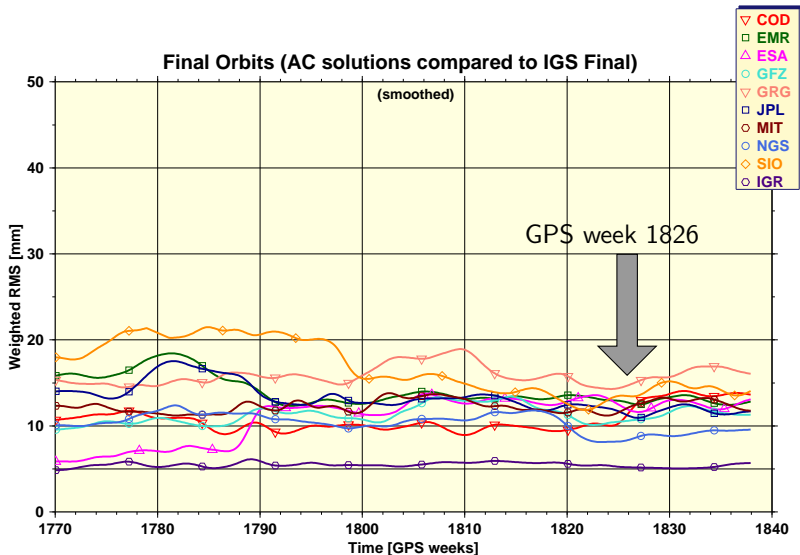


Conclusions

- The classic ECOM performs well for GPS, but must be extended by even-order periodic D -terms when applied to elongated satellite bodies (e.g. GLONASS, Galileo). Significant reduction of GLONASS-induced spurious signals.
- CODE IGS contributions based on D4B1 model since January 4, 2015 (GPS week 1826)
- For impact of extended ECOM on multi-GNSS orbit and clock solutions: see presentation of **Lars Prange on Thursday, 14:00, in Session G1.3, room G12.**
- See “CODE’s new solar radiation pressure model for GNSS orbit determination”, accepted for publication at J. Geod., DOI: [10.1007/s00190-015-0814-4](https://doi.org/10.1007/s00190-015-0814-4)

Thank you

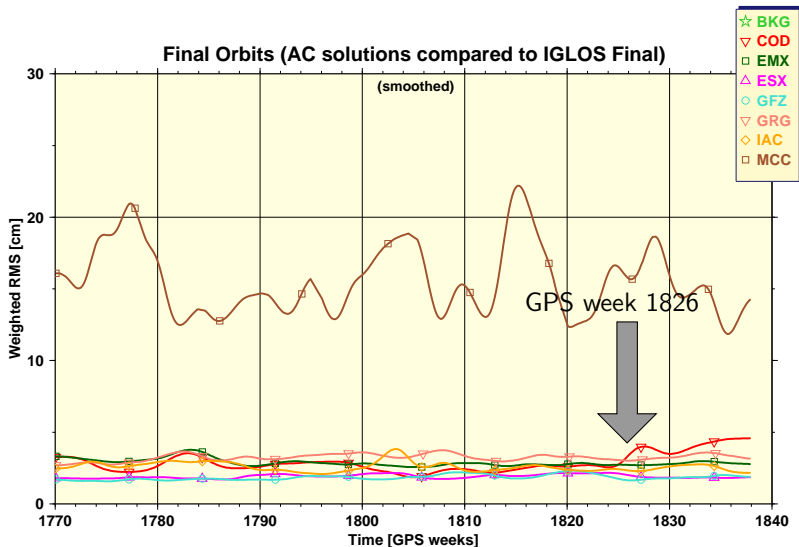
Consistency with other solutions (GPS)



NOAA NGS, 11.04.2015 19:19 (GMT)

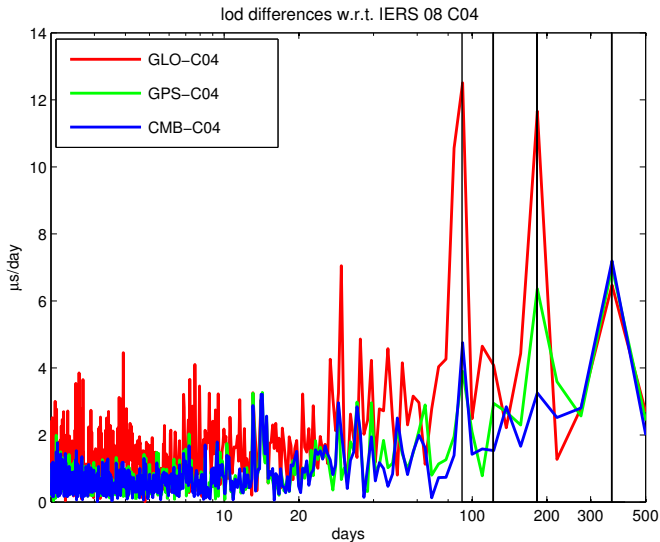
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Consistency with other solutions (GLONASS)

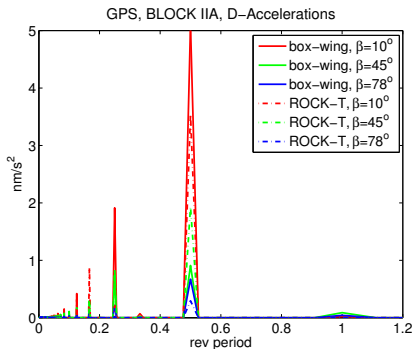
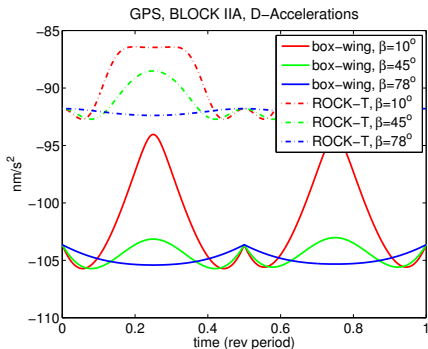


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Problems with the ECOM

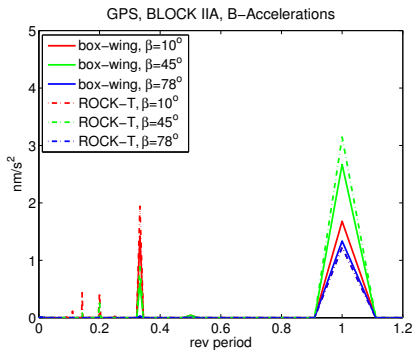
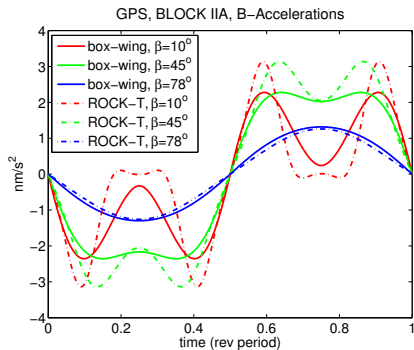


ROCK and BW accelerations for GPS (D)



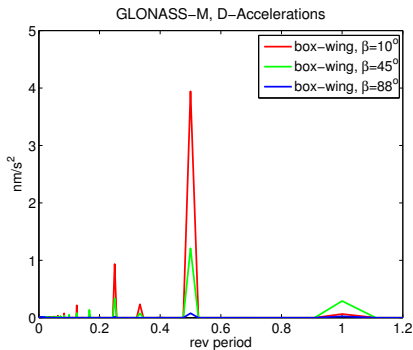
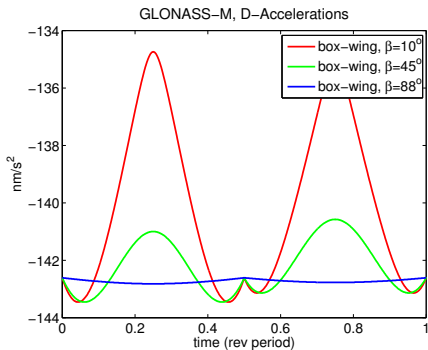
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ROCK and BW accelerations for GPS (B)

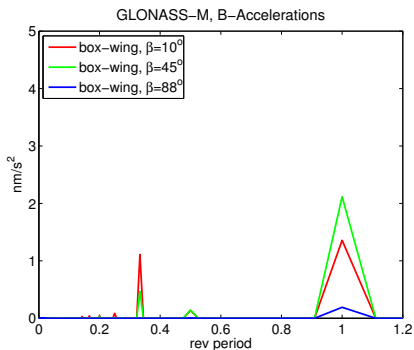
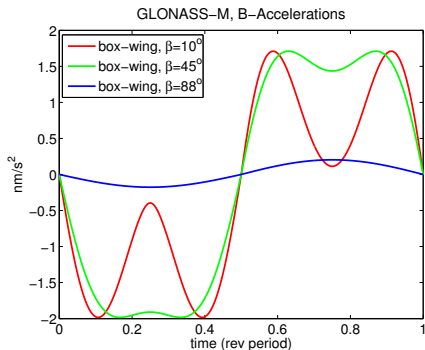


BW accelerations for GLONASS (D)

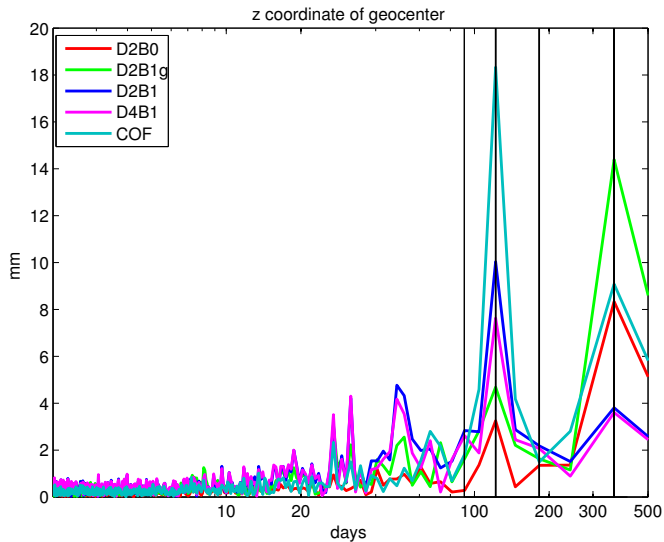
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BW accelerations for GLONASS (B)

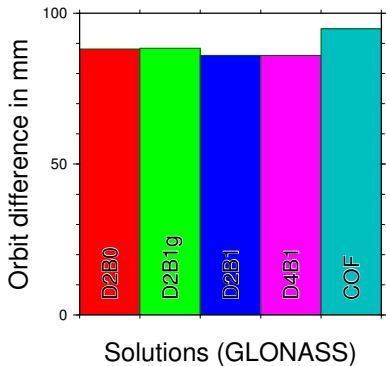
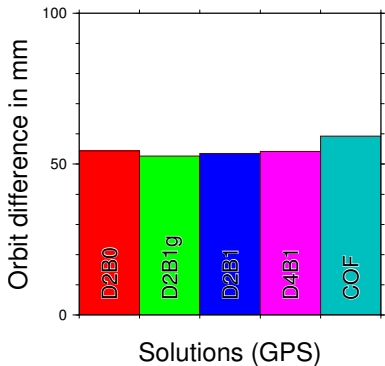


Geocenter

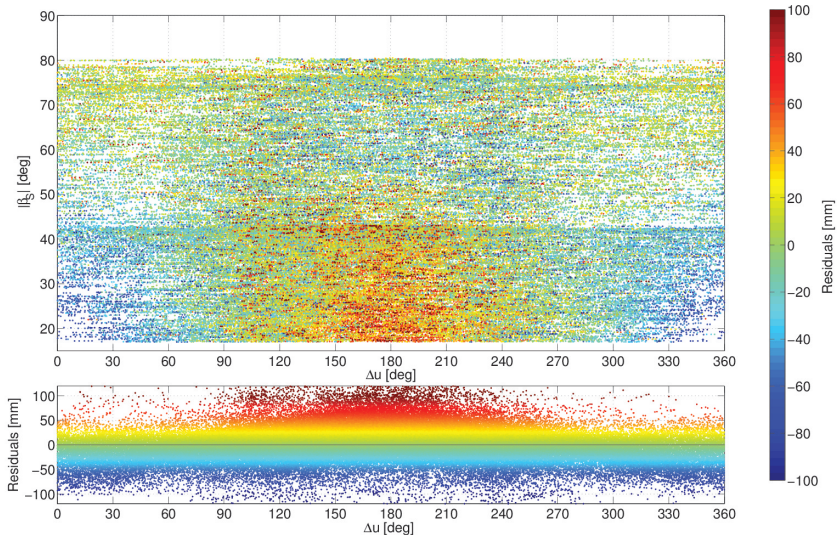


Orbits

Mean 3-dimensional orbit misclosures at day boundaries



SLR residuals of GLONASS (COF)



SLR residuals of GLONASS (D2B1)

